





Exercises for OpenMP

High performance computing @ Louisiana State University







Getting started ...

Login with Linux and Mac:

- > ssh username@shelob.hpc.lsu.edu
- > cp -r /home/shaohao/workshop/loniworkshop2015/openmp /home/\$USER

Login with windows:

Use Putty or MobaXterm for remote access.

Use Winscp to transfer files.

Interactive session:

qsub -I -A allocation_name -I nodes=1:ppn=20,walltime=hh:mm:ss







Exercise 1: SAXPY

- SAXPY: s = a*x + y
 adds a scalar multiple of a real vector to another real vector.
- Use OpenMP to parallelize the SAXPY codes.

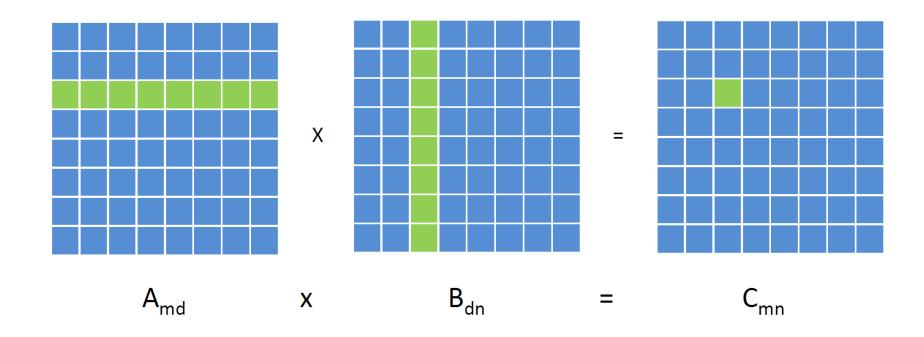
```
int i;
#pragma omp parallel for private(i)
for (i = 0; i < n; i++){
  y[i] = a*x[i] + y[i];
}</pre>
```







Exercise 2: Matrix Multiplicatoin



$$c_{i,j} = \sum_{k=1}^{d} a_{i,k} \cdot b_{k,j}$$







Use OpenMP to parallelize the matrix-multiplication codes.

Noes: The three matrices are shared data, meaning that all threads can read and write them. Distribute the works of the most outer loop.

```
#pragma omp parallel for shared(nra,ncb,nca) private(sum,i,j,k)
for (i = 0; i < nra; i++){}
  for (j = 0; j < ncb; j++){}
    sum = 0.0;
    for (k = 0; k < nca; k++){
       sum = sum + a[i][k] * b[k][j];
    c[i][j] = sum;
```







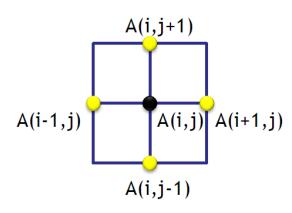
Exercise 3: Laplacian solver

• Two-dimensional Laplace equation: $\nabla^2 f(x, y) = 0$

• Discretize the laplacian with first-order differential method and express the solution as

$$A_{k+1}(i,j) = \frac{A_k(i-1,j) + A_k(i+1,j) + A_k(i,j-1) + A_k(i,j+1)}{4}$$

 The solution on one point only depends on the four neighbor points:









- Jacobi iterative algorithm:
- 1. Give a trial solution A depending on a provided initial condition.
- 2. Calculate the new value for every element of the solution, that is A_new(i,j), based on the old values of the four neighbor points.
- 3. Update the solution, i.e. A=A_new,
- 4. Iterate steps 2 and 3 until converged, i.e. max(| A_new(i,j)-A(i,j)|)<tolerance.
- 5. Finally the converged solution is stored at A.
- Use Jacobi iterative algorithm to solve Laplace equation.







Use OpenMP to parallelize the codes for Laplacian solver.

```
int iter = 0;
error = 0.0;
  #pragma omp parallel for shared(m, n, Anew, A) private(i,j)
  for(j = 1; j < n-1; j++) for(i = 1; i < m-1; i++) {
        Anew[j][i] = 0.25 * (A[j][i+1] + A[j][i-1] + A[j-1][i] + A[j+1][i]); //calculate new value from neighbors
        error = fmax( error, fabs(Anew[j][i] - A[j][i])); // calculate the maximum error
  #pragma omp parallel for shared(m, n, Anew, A) private(i,j)
  for( j = 1; j < n-1; j++) for( i = 1; i < m-1; i++ ) {
        A[j][i] = Anew[j][i]; // Update the solution
  iter++;
```







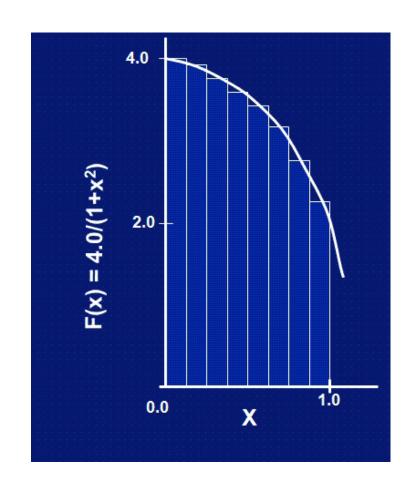
Exercise 4: Calculate the value of Pi

Calculate pi with integration method

$$\int_0^1 \frac{4.0}{(1+x^2)} \, dx = \pi$$

• Numerically, we can approximate the value of pi as the sum of a number of rectangles.

$$\sum_{i=0}^{N} F(x_i) \Delta x \approx \pi$$









• Use OpenMP to parallelize the code for calculating pi.

Notes: Use reduction clause to avoid a data racing condition.

```
#pragma omp parallel for default(shared) private(i,x) reduction(+:sum)
{
    for (i = 0; i < n; i++) {
        x = (i+0.5)*step;
        sum += 4.0/(1.0+x*x);
    }
}</pre>
```







Exercise 5: Matrix-vector multiplication

- Calculate a=B*c, where a is an m dimension vector, c is an n dimension vector and B is an m*n dimension matrix.
- Serial Fortran code

```
do i = 1, m
a(i) = b(i,1)*c(1)
do j = 2, n
a(i) = a(i) + b(i,j)*c(j)
end do
end do
```







• Use OpenMP to parallelize the code for matrix-vector multiplication (version 1)

```
!$OMP PARALLEL DO DEFAULT(shared) PRIVATE(i,j)
 do i = 1, m
    a(i) = b(i,1)*c(1)
    doj = 2, n
      a(i) = a(i) + b(i,j)*c(j)
    end do
  end do
!$OMP END PARALLEL DO
```







 Use OpenMP to parallelize the code for matrix-vector multiplication (version 2, only for Fortran)

```
!$OMP PARALLEL DEFAULT(shared) PRIVATE(i,j)
   !$OMP WORKSHARE
   a(1:m) = b(1:m,1)*c(1)
   !$OMP END WORKSHARE
   !$OMP DO REDUCTION(+:a)
   do j = 2, n
     do i = 1, m
       a(i) = a(i) + b(i,j)*c(j)
     end do
   end do
   !$OMP END DO
$OMP END PARALLEL
```